



# Should Policymakers Care Whether Inequality is Helpful or Harmful for Growth?



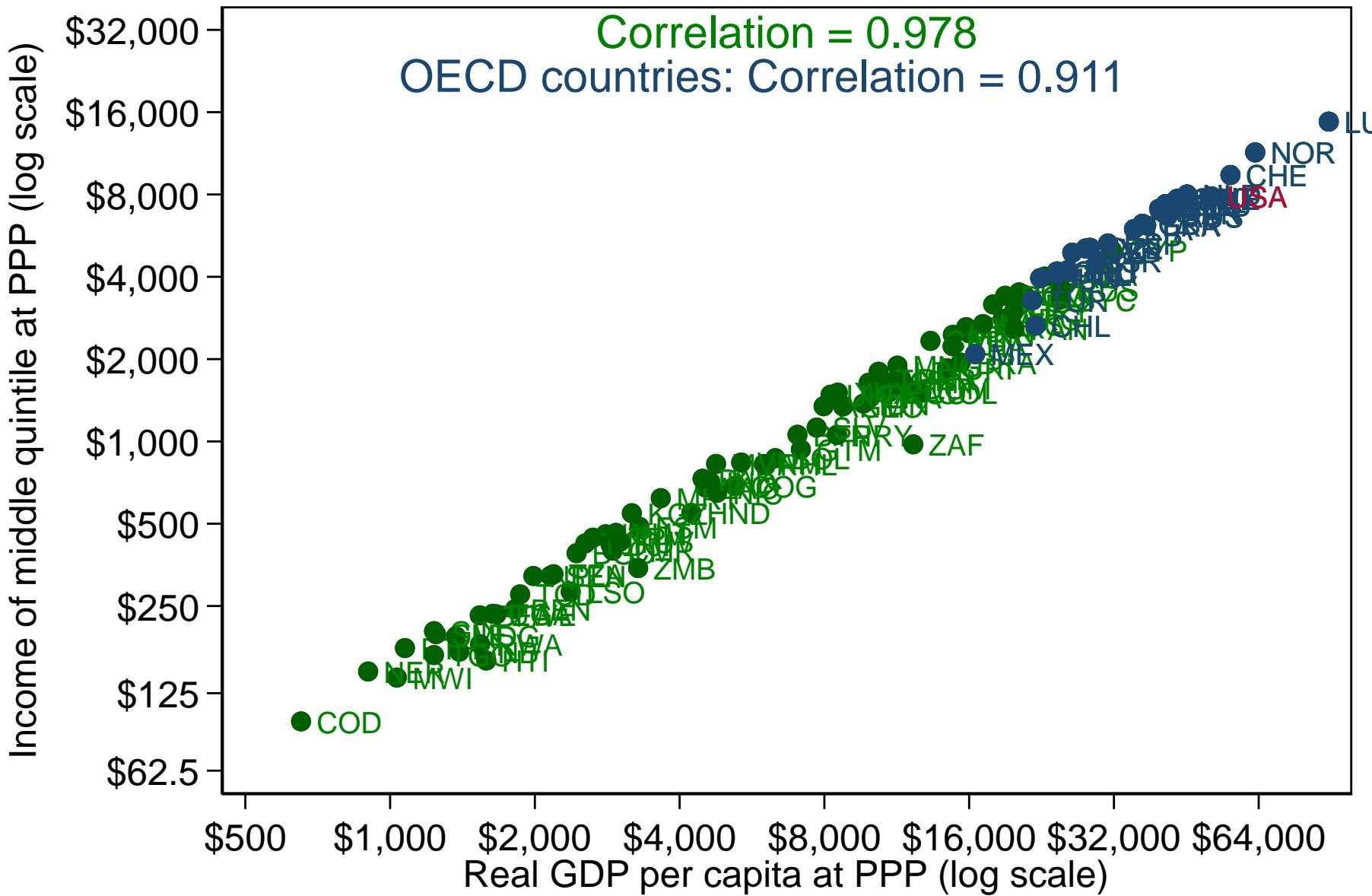
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## Do we go wrong by focusing on GDP?

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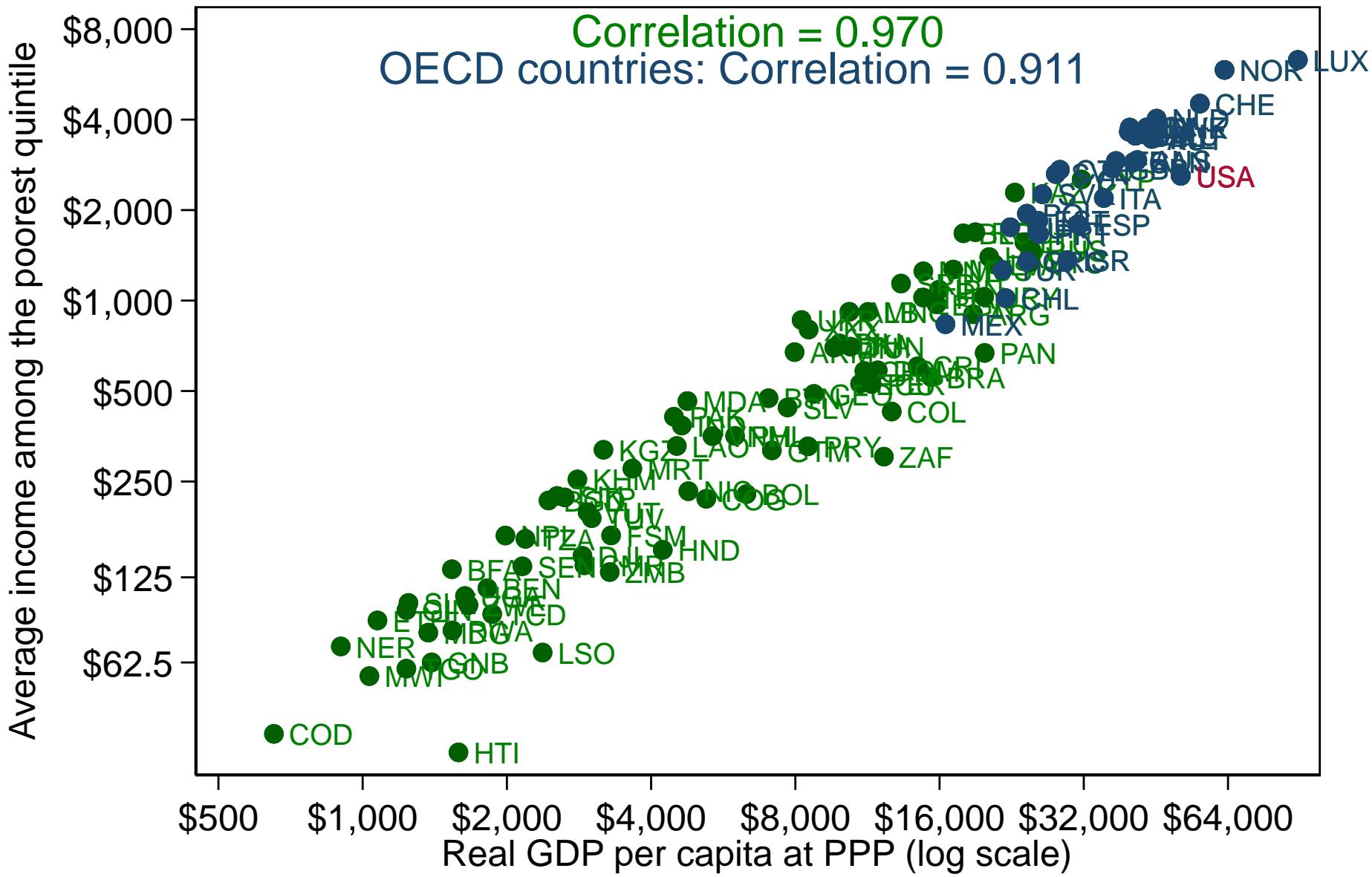
“more research should focus on developing and analyzing left-hand side variables that are normatively relevant, from simple ones like median income, the income of the bottom quintile or the mean of log income...”

# Median Income v. GDP per capita



Source: World Development Indicators and author's calculations

# Income of the Poorest Fifth v. GDP per capita



Source: World Development Indicators and author's calculations

# Estimating utilitarian social welfare

- People have log utility:

- ▶  $U_{i,c} = \ln(Y_{i,c})$

- Average utility in country,  $c$ :

- ▶  $\overline{U}_c = \overline{\ln(Y)_c}$

Average of log income, not  
Log of average income

- Re-arranging:

- ▶  $\overline{U}_c = \ln(\overline{Y}_c) - [\ln(\overline{Y}_c) - \overline{\ln(Y)_c}]$

Log(GDP per capita)  
(= log of average income)

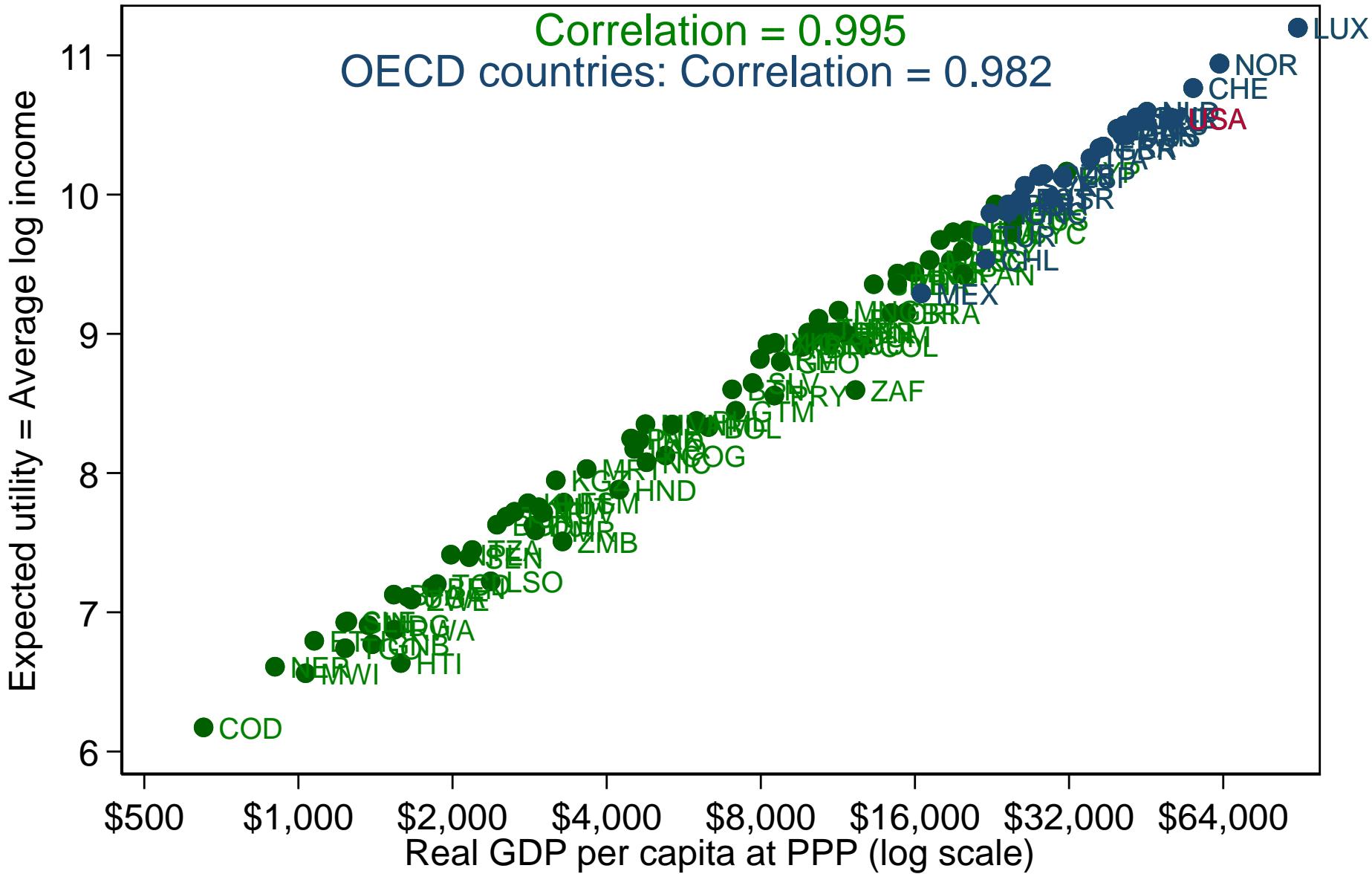
Mean log deviation  
(a measure of inequality)

- An approximation:

- ▶  $\overline{U}_c \approx \ln(\overline{Y}_c) - \left( F_N^{-1} \left( \frac{1+Gini}{2} \right) \right)^2$

(if incomes are log-normal):

# Social Welfare v. GDP per capita



Source: World Development Indicators and author's calculations

## Inequality before growth?

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“in advanced economies a lexicographic framework that focuses exclusively on distributional analysis and then only to growth when the distribution of different policies is the same is generally likely to be appropriate.”

# A Utilitarian Approach

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- Person  $i$  at time  $t$  has log utility:  $U_{i,t} = \log(Y_{i,t})$
- A utilitarian maximizes discounted average utility

$$\begin{aligned} \text{Welfare} &= \sum_t \beta^t \sum_i \frac{\log(Y_{it})}{n} \\ &= \sum_t \beta^t \left[ \underbrace{\log\left(\frac{\sum_i Y_{it}}{n}\right)}_{GDP \text{ per capita}} - \left( \underbrace{\log\left(\frac{\sum_i Y_{it}}{n}\right)}_{Mean \log deviation} - \sum_i \frac{\log(Y_{it})}{n} \right) \right] \end{aligned}$$

- Income grows at the rate  $g$ :  $Y_{i,t} = Y_i^0(1 + g)^t$
- Implies that:

$$\begin{aligned} \text{Welfare} &= \beta \log(1 + g) + (\log(\overline{Y_{t=0}}) - MLD) \\ &\approx \beta \log(1 + g) + \left( \log(\overline{Y_{t=0}}) - \left( F_N^{-1} \left( \frac{1 + gini}{2} \right) \right)^2 \right) \end{aligned}$$

# Comparing Sweden v. USA

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$$Welfare \approx \beta \log(1 + g) + \left( \log(\overline{Y_{t=0}}) - \left( F_N^{-1} \left( \frac{1 + gini}{2} \right) \right)^2 \right)$$

## □ Parameters:

- ▶  $\beta=0.96$  (discount rate)
- ▶  $g=1.4\%$  (average per capita growth rate over past two decade)

## □ What would we pay to reduce US Gini from 0.4106 to Swedish level of 0.2732?

- ▶ Answer 1: Halve the growth rate to 0.7%

OR

- ▶ Answer 2: Allow initial GDP to decline by 15%